Carbon Neutrality

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NSF Workshop April 2023



Trends and research needs (10)

Some experiences

- From EV charging (5)
- ... to workplace decarbonization (10)
- ... to unbalanced 3-phase power flows (15)





Average temperature



Global average temp has increased by >1C since pre-industrial time

Average temperature



Local temperature can be much warmer than global average

Atmospheric CO2



https://ourworldindata.org/co2-and-greenhouse-gas-emissions









https://ourworldindata.org/co2-and-greenhouse-gas-emissions







83%

91%

80%



% coverage of net zero GHG pledges (Oxford 2022) (2019: coverage = 16% GDP)





https://ourworldindata.org/grapher/consumption-co2-per-capita-vs-gdppc





Energy use emitted 82% of total greenhouse gas emissions in US in 2021 (EPA)

Electricity gen & transportation



2021 consumption: fossil 79.0%; renewables 12.5% (US EPA)

https://flowcharts.llnl.gov/sites/flowcharts/files/2022-09/Energy_2021_United-States.pdf

https://www.epa.gov/ghgemissions/sources-greenhouse-gas-emissions#transportation

Electricity generation & transportation in US:

- Consume 65% of all energies in 2021 (US EPA)
- Emit 53% of all greenhouse gases in 2021 (US EPA)

both numbers are lower than 2019 numbers by only ~2% !





PV & on-shore wind have lowest LCOE

https://ourworldindata.org/cheap-renewables-growth





Electric vehicle battery:

- 2010: \$1,000 / kWh
- 2016: \$ 275 / kWh
- 2030e: \$ 73 / kWh (Bloomberg New Energy Finance 2016)



Numerous research needs/opportunities

Many experts in this NSF Workshop !



Integration of grid & mobility

- Technologies, economics, deployment
- Data, learning, control
 - Unknown/unreliable models, uncertainty, scalability, multiple timescales, reliability
- Equitable development
 - Per capita CO2_(consumption): US(15.5t) vs Mexico(3.4t), AU(13.8t) vs Indonesia(2.3t), Switzerland(12.4t) vs Portugal(4.7t) (D. Kammen)

Inverter-based resources

Dynamics, stability, scalability

Economics & policies

NEM: PV+EV charging+storage, aggregation; hosting cap. (L. Tong)

Architecture

Layering, constraints that deconstrain, RYF [John Doyle, Caltech]

Panels 2, 4

Panel 1

Panel 3



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CA commitment

- 50% renewables by 2030, 100% by 2045
- 1.5M ZEV by 2025, 5M by 2030 (CA has ~15M cars)



Drivers twice as likely to get EV when workplace charging is available

(EDF Renewables survey Feb 2018)

EV charging: research \rightarrow impact

Theory and algorithms

- 1. Broad power systems research (since 2010) Nonconvex optimization, control & dynamical systems, distributed real-time algorithms
- 2. Application to EV charging

Optimal decentralized protocol for EV charging (IEEE Trans. Power Systems, 2013) **Theorem:** Online LP attains offline optimal (IEEE PES General Meeting, 2017)

Industry	Online LP	Theoret. max
28%	53%	54%



EV charging: research \rightarrow impact

Testbed \rightarrow deployment

- **3.** First pilot: Caltech garage (2016) By July 2020: delivered 3M+ electric miles, avoided 1,000 tons of CO2e
- 4. Caltech startup: PowerFlex (2017) Value proposition: Enable large-scale EV charging by reducing capital & operating costs Acquired by EDF Renewables to scale business











Caltech ACN: cyber system

Model predictive control: QCQP



Highly customizable QCQP

•

- objectives: cost, PV, asap, regularization
- constraints: energy, deadlines, capacities
- determine charging rates for all EVs







Lee, Li, Low. ACN-Data: analysis and applications of an open EV charging Dataset ACM e-Energy, June 2019

Lee, Johansson, Low. ACN-Sim: an open-source simulator for data-driven EV charging research IEEE SmartGridComm, October 2019



Adaptive Charging Network

HOME INFO RESEARCH DATA SIMULATOR ACCOUNT

The Adaptive Charging Network

Accelerating Electric Vehicle Research @ Caltech and Beyond

Zach Lee zlee@powerflex.com



ev.caltech.edu



Smart EV charging

- R&D to extract untapped value intrinsic to EV charging
- Critical to maintain broad theory research
- Translation of energy R&D is hard

Workplace energy systems

- Large untapped value in current system
- Bigger & more complicated system, more expensive infrastructure, more difficult & diverse technical challenges

Caltech energy systems 70NH

Caltech microgrid

- ~200,000-people city
- >100 commercial-size buildings
- 3 grid interconnections ٠
- 4 substations
- 20 MW peak load
- 2.1 MW onsite solar
- 4 MW NG fuel cells
- 12.5 MW gas co-gen
- Chilled water ٠ distribution
- Fossil-based steam and HW distribution







Energy is a 92%-opportunity to reduce GHG



Further reduction needs to retire campus co-gen



Co-gen generated 78% of electricity consumed in 2020



Simultaneous heating and cooling demands



Integrate and holistically optimize operation of electric, heating & cooling systems

- They operate independently today
- HRCs to provide net heating & cooling demand

Exploit storage (batteries & thermal) and HRCs to shape electricity demand

- To adapt to random fluctuations in demand, prices & CO2 intensity
- Greatly reduces capital and operating costs for 24/7 CO2 neutrality



Infrastructure (Caltech Admin/Facilities)

- Retiring co-gen, electrify hot & chilled water, HRCs, thermal storage, batteries, tunnels & pipes
- Data (Caltech testbed)
 - Comprehensive reliable data on electric, cooling & heating systems, cost & emission data
- Theory, algorithms & prototypes (focus of R&D)
 - Theory & algorithms for real-time learning, control & optimization of DERs
 - Software prototypes (Digital Twin)
- Pilot & deployment
 - Work with Caltech Facilities
 - Work with industry

R&D: theory, algorithms, prototypes

Layer	R&D	Open problems (examples)
Control	Optimization-based decision making for planning and operation in uncertainty	 Data-driven stochastic optimization Data-driven real-time OPF
Learning (Digital Twin)	Data-driven continuous learning, identification & tracking of system models & current states	 Network identification Aggregate flexibility & control
Data (Meter Caltech)	Testbed to provide real-time comprehensive & reliable data	

Expected outcomes:

- DER live testbed: PV, building, EV, storage, monitoring system (meters & software)
- Theory & algorithms for learning, control, and optimization of networked DERs
- Software prototypes of some algorithms



Substation 3 (16.5kV/2.4kV/480V)

- Buildings
- Rooftop PVs
- Fuel cells
- EV chargers

















3p voltage taps

digital circuit diagram

electric room

metering cabinet

Network identification



Learning Y from data

- Numerous control & optimization schemes assume Y is known
- But Y often unavailable or unreliable in distribution systems (e.g., Caltech does not know Y)
- Little is known about analytical properties of Y (e.g., invertibility only published in [Yuan et al 2022, Torizo & Molzahn 2022, Low 2022])

State of the art

- Full measurement: many schemes based on regressions, entropy, sparse recovery, graph processing, ...
- With hidden nodes (for radial networks) ?



Network identification with hidden nodes

At each time t:

$$\begin{array}{c} \text{O injection} \\ \text{at hidden node} \end{array} \begin{bmatrix} I_1(t) \\ 0 \end{bmatrix} = \begin{bmatrix} Y_{11} & Y_{12} \\ Y_{21} & Y_{22} \end{bmatrix} \begin{bmatrix} V_1(t) \\ V_2(t) \end{bmatrix} \begin{array}{c} \text{measured nodes} \\ \text{hidden nodes} \end{array}$$

Suppose we can exactly recover \overline{Y} from $(V_i(t), I_i(t))$ at $i \in M$

$$I_1(t) = \overline{Y}V_1(t)$$

with $\overline{Y} := Y_{11} - Y_{12}Y_{22}^{-1}Y_{12}^{T}$



<u>Lemma</u>

Kron-reduced admittance matrix \overline{Y} exists, if lines are resistive & inductive

(Note that *Y* is complex symmetric !)





Network identification with hidden nodes

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Can we identify Y from \overline{Y} for radial networks ?





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Can we identify Y from \overline{Y} for radial networks ?

Theorem: Yes ! [Yuan et al 2022]

Exactly recover both topology and impedances for radial nks Constructive proof







Most papers implicitly use single-phase models

Balanced 3-phase systems have single-phase equivalents

Single-phase models applicable for many purposes

- Transmission system applications
- For illustrating basic ideas and analysis of most algorithms (unbalanced 3-phase models structurally similar to 1-phase models)

Unbalanced 3-phase modeling needed

- When control & optimization are explicitly on singlephase devices making up a 3-phase device
- For implementation in real systems when phases are not balanced





- Many models assume terminal currents (I^a_{jk}, I^b_{jk}, I^c_{jk}) are controllable (optimization vars)
- Extension to 3-phase setting is straightforward





$$I_{jk} = y_{jk}^{s} \left(V_{j} - V_{k} \right) + y_{jk}^{m} V_{j}$$
$$I_{kj} = y_{jk}^{s} \left(V_{k} - V_{j} \right) + y_{kj}^{m} V_{k}$$

1-phase: I_{jk} , $V_j^a \in \mathbb{C}$. $y_{jk}^{s/m} \in \mathbb{C}$ 3-phase: I_{jk} , $V_j^a \in \mathbb{C}^3$. $y_{jk}^{s/m} \in \mathbb{C}^{3 \times 3}$





- Terminal currents I_{jk} are externally observable, but often not directly controllable
- If only internal currents $(J_j^{ab}, J_j^{bc}, J_j^{ca})$ of current sources are directly controllable, then need a 3-phase device model to convert between internal & terminal vars





Similarly for power sources or voltage sources





Left panel: Actual 3-phase currents violate capacity constraints if "single-phase constraints" are used (ACN-Sim based on Caltech ACN on Sept 5, 2018 data)

"single-phase constraints" : $\sum_i r_i(t) \le R$ (no phase line constraints for lack of phase info)





single-phase or 3-phase



How to derive external models of 3-phase devices

- 1. Voltage/current/power sources, impedances (1-phase device: internal models)
- 2. ... in Y/Δ configurations

(conversion rules: int \rightarrow ext)

3. ... with or without neutral lines, grounded or ungrounded, zero or nonzero grounding impedances

Propose a simple and unified method to derive external models

Will use 3-phase voltage source in Δ configuration to illustrate



Internal vars (Δ configuration)

Internal voltage, current, power across single-phase devices:

$$V^{\Delta} := \begin{bmatrix} V^{ab} \\ V^{bc} \\ V^{ca} \end{bmatrix}, \ I^{\Delta} := \begin{bmatrix} I^{ab} \\ I^{bc} \\ I^{ca} \end{bmatrix}, \ s^{\Delta} := \begin{bmatrix} s^{ab} \\ s^{bc} \\ s^{ca} \end{bmatrix} := \begin{bmatrix} V^{ab} \overline{I}^{ab} \\ V^{bc} \overline{I}^{bc} \\ V^{ca} \overline{I}^{ca} \end{bmatrix}$$



Terminal vars

Terminal voltage, current, power (for both Y and Δ) to reference:

$$V := \begin{bmatrix} V^a \\ V^b \\ V^c \end{bmatrix}, \ I := \begin{bmatrix} I^a \\ I^b \\ I^c \end{bmatrix}, \ s := \begin{bmatrix} s^a \\ s^b \\ s^c \end{bmatrix} := \begin{bmatrix} V^a \overline{I}^a \\ V^b \overline{I}^b \\ V^c \overline{I}^c \end{bmatrix}$$

- *V* is with respect to an arbitrary common reference point, e.g. the ground
- *I* and *s* are in the direction out of the device

Internal vs external model

- 1. External model = Internal model + Conversion rule
 - External model: relation between (V, I, s)
 - Devices interact over network only through their terminal vars



Internal vs external model

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 - External model: relation between (V, I, s)
 - Devices interact over network only through their terminal vars
- 2. Internal model : relation between $(V^{Y/\Delta}, I^{Y/\Delta}, s^{Y/\Delta})$
 - Independent of Y or Δ configuration
 - Depends only on behavior of single-phase devices
 - Voltage/current/power source, impedance (voltage scr, ZIP load)



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 - External model: relation between (V, I, s)
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- 2. Internal model : relation between $(V^{Y/\Delta}, I^{Y/\Delta}, s^{Y/\Delta})$
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3. Conversion rule : converts between internal and terminal vars

- Depends only on Y or Δ configuration
- Independent of type of single-phase devices





Convert between internal vars and external vars

$$\begin{bmatrix} V_{ab} \\ V_{bc} \\ V_{ca} \end{bmatrix} = \underbrace{\begin{bmatrix} 1 & -1 & 0 \\ 0 & 1 & -1 \\ -1 & 0 & 1 \end{bmatrix}}_{\Gamma} \begin{bmatrix} V_a \\ V_b \\ V_c \end{bmatrix}, \begin{bmatrix} I_a \\ I_b \\ I_c \end{bmatrix} = -\underbrace{\begin{bmatrix} 1 & 0 & -1 \\ -1 & 1 & 0 \\ 0 & -1 & 1 \end{bmatrix}}_{\Gamma^{\mathsf{T}}} \begin{bmatrix} I_{ab} \\ I_{bc} \\ I_{ca} \end{bmatrix}$$

In vector form



 Γ is incidence matrix of:





Fortescue matrix *F*

Spectral decomposition:

$$\Gamma = F\Lambda\overline{F}, \quad \Gamma^{\mathsf{T}} = \overline{F}\Lambda F$$
where
$$\Lambda := \begin{bmatrix} 0 & & \\ & 1-\alpha & \\ & & 1-\alpha^2 \end{bmatrix}, \quad F := \frac{1}{\sqrt{3}} \begin{bmatrix} 1 & 1 & 1 \\ 1 & \alpha & \alpha^2 \\ 1 & \alpha^2 & \alpha \end{bmatrix}$$
and $\alpha := e^{-i2\pi/3}$

$$Pseudo-inverses: \quad \Gamma^{\dagger} = \frac{1}{3}\Gamma^{\mathsf{T}}, \quad \Gamma^{\mathsf{T}^{\dagger}} = \frac{1}{3}\Gamma$$

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2. Given V^{Δ} : terminal voltage $V = \frac{1}{3}\Gamma^{\mathsf{T}}V^{\Delta} + \gamma \mathbf{1}, \qquad \gamma \in \mathbb{C}$

• $\gamma := \frac{1}{3} \mathbf{1}^T V$: zero-sequence terminal voltage (fixed by reference voltage)





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- 3. Given *I*: internal current $I^{\Delta} = -\frac{1}{3}\Gamma I + \beta 1$, $\beta \in \mathbb{C}$

• $\beta := \frac{1}{3} \mathbf{1}^T I^{\Delta}$: zero-sequence internal current (does not affect terminal current)





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- 3. Given *I*: internal current $I^{\Delta} = -\frac{1}{3}\Gamma I + \beta 1$, $\beta \in \mathbb{C}$



4. Relation between *s* and s^{Δ} through (V, I^{Δ}) : $s = - \operatorname{diag}(VI^{\Delta H}\Gamma), \quad s^{\Delta} = \operatorname{diag}(\Gamma VI^{\Delta H}) \quad \text{(no direct relation between$ *s* $and <math>s^{\Delta}$)





Theorem 1. The external models of three-phase transformers in YY, $\Delta\Delta$, ΔY and $Y\Delta$ configurations take the form

 $I = D^{\mathsf{T}} Y_{YY} D \left(V - \gamma \right)$

where

$$YY: \qquad D := \begin{bmatrix} \mathbb{I} & 0 \\ 0 & \mathbb{I} \end{bmatrix}$$
$$\Delta\Delta: \qquad D := \begin{bmatrix} \Gamma & 0 \\ 0 & \Gamma \end{bmatrix}$$
$$\Delta Y: \qquad D := \begin{bmatrix} \Gamma & 0 \\ 0 & \mathbb{I} \end{bmatrix}$$
$$Y\Delta: \qquad D := \begin{bmatrix} \Pi & 0 \\ 0 & \Gamma \end{bmatrix}$$

unified & modular characterization



Overall model: device + network

- 1. Network model relates terminal vars (V, I, s)
 - Nodal current balance (linear): I = YV

Nodal power balance (nonlinear): $s_j = \sum_{k:j \sim k} \text{diag} \left(V_j (V_j - V_k)^H y_{jk}^{sH} + V_j V_j^H y_{jk}^{mH} \right)$

- Either can be used
- 2. Device model for each 3-phase device
 - Internal model $\left(V_{j}^{Y/\Delta}, I_{j}^{Y/\Delta}, s_{j}^{Y/\Delta}, \gamma_{j}, \beta_{j}\right)$ + conversion rules
 - External model $\left(V_{j}, I_{j}, s_{j}, \gamma_{j}, \beta_{j}\right)$ with internal parameters
 - Either can be used
 - Power source models are nonlinear; other devices are linear



Power System Analysis

A Mathematical Approach

Steven H. Low

DRAFT available at: <u>http://netlab.caltech.edu/book/</u>

Corrections, questions, comments appreciated!





Caltech energy system is large & complex

- Energy needs of ~5,000 population correspond to ~20,000 people (CA), peak (electric): 20MW [Caltech Facilities, 2021]
- Stanford: 30K population correspond to 33,000 households (CA); peak (integrated energy system): 40MW [de Chalendar et al, 2019]
- More technical challenges to overcome
- Invaluable live testbed for R&D and validation

Caltech system is representative of large campuses

- With district heating and cooling systems (more popular in EU, China, Russia, Japan)
- e.g., Stanford, PNNL (both pursuing campus decarbonization)
- Stanford's integrated system: first-of-a-kind [de Chalendar et al, 2019]





We need to develop interfaces

- With Facilities: DER
- With Solea Energy: trading

Warehouses

- Consumes 6 kWh/sqft-year, but can generate 90 kWh/sqft-year of PV
- US has 10B sqft of warehouse space
- Can generate 100 GW PV (~10% of total 1TW of US rooftop PV capacity)
- \$6B/year annual electricity cost
- \$150B microgrid infrastructure market (\$15M / 1M sqft warehouse)

Value proposition

- DER opt technology can save 10% of annual electricity cost (\$600M/year)
- ... and 2% of capital cost (\$3B)
- Emission reduction by 80-100%

Co-PI on Solea led DoE GRIP proposal (submitted March 2023)